

A new constraint on the expansion history of the Universe with cosmic chronometers in **VANDELS**

[arXiv:2305.16387](https://arxiv.org/abs/2305.16387)

ELENA TOMASETTI

PhD student

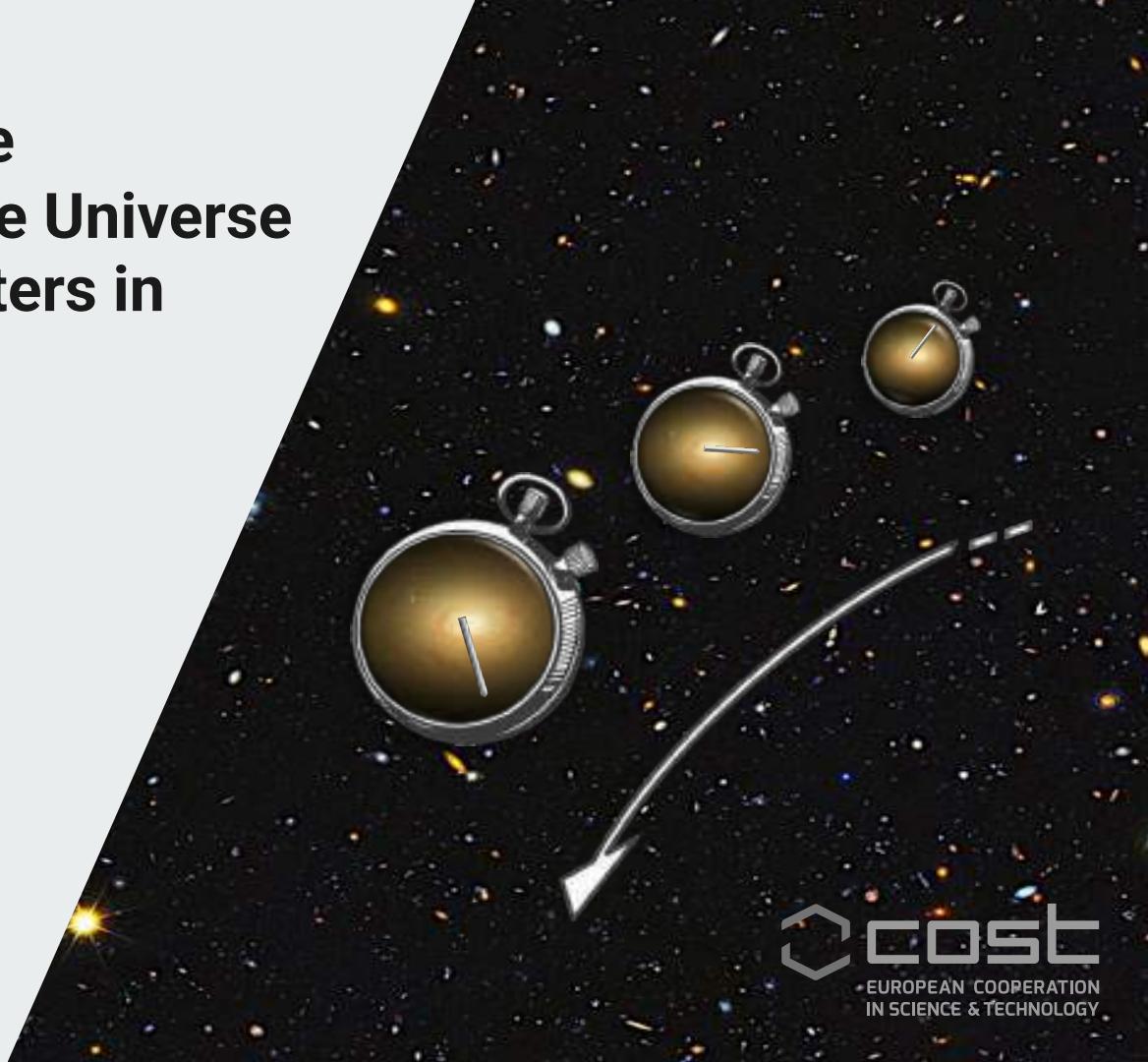
*Department of Physics and Astronomy
University of Bologna*

Supervisors:

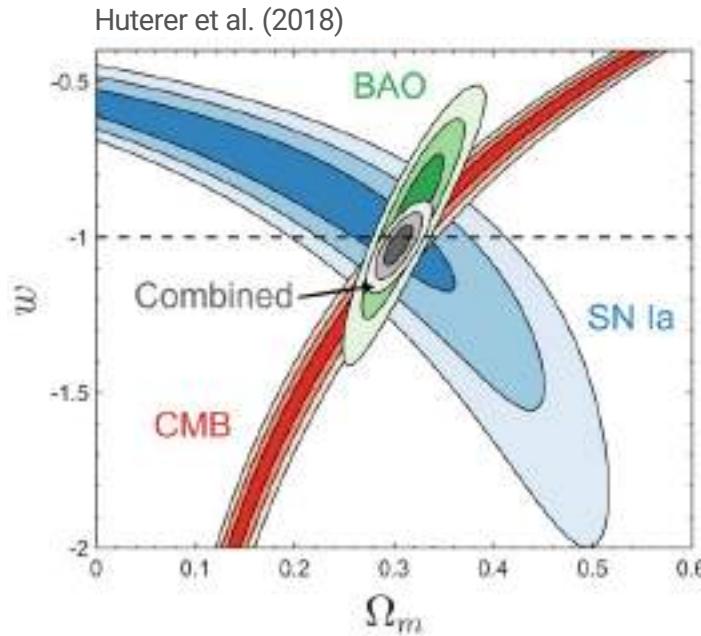
Michele Moresco

Carmela Lardo

Andrea Cimatti



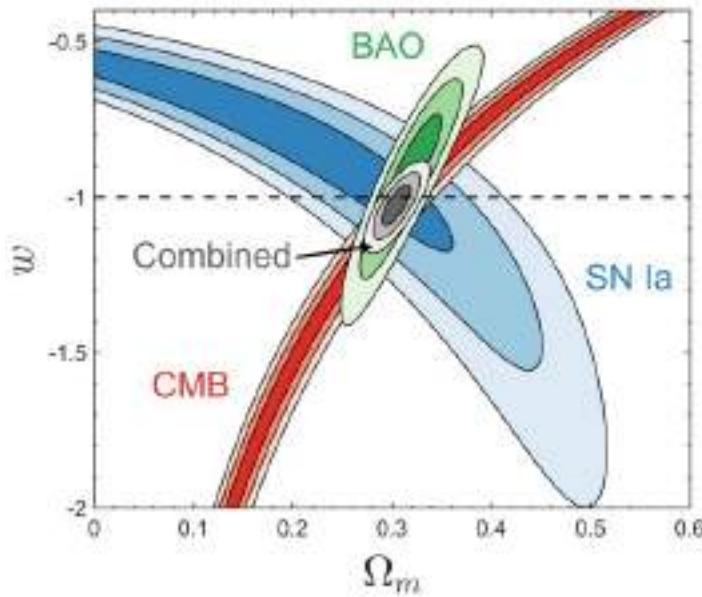
Scientific framework and aim of the project



Modern Cosmology is based on the **Λ CDM model**, successfully constrained by a combination of **independent probes** that have become standard in cosmological analyses

Scientific framework and aim of the project

Huterer et al. (2018)



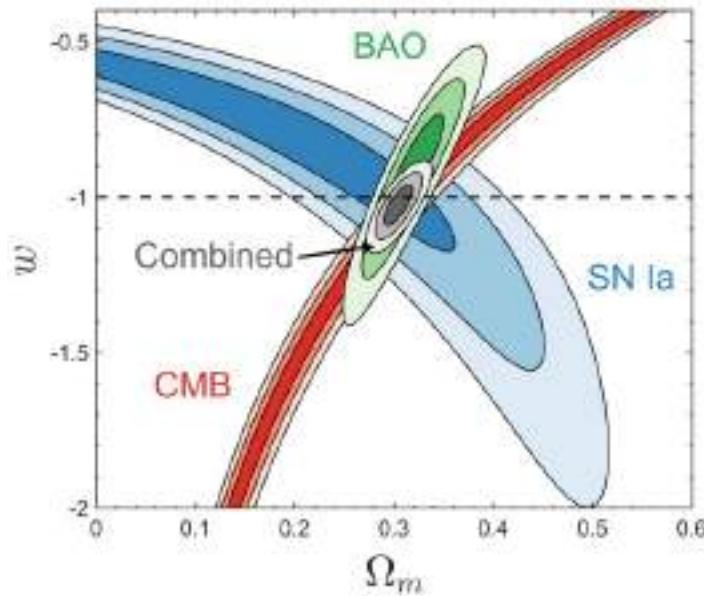
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However, the increasing precision of these measurements has highlighted **tensions** between early- and late-Universe probes (Verde et al. 2019)

→ it's important to find and explore new and non-standard methods! (Moresco et al. 2022)

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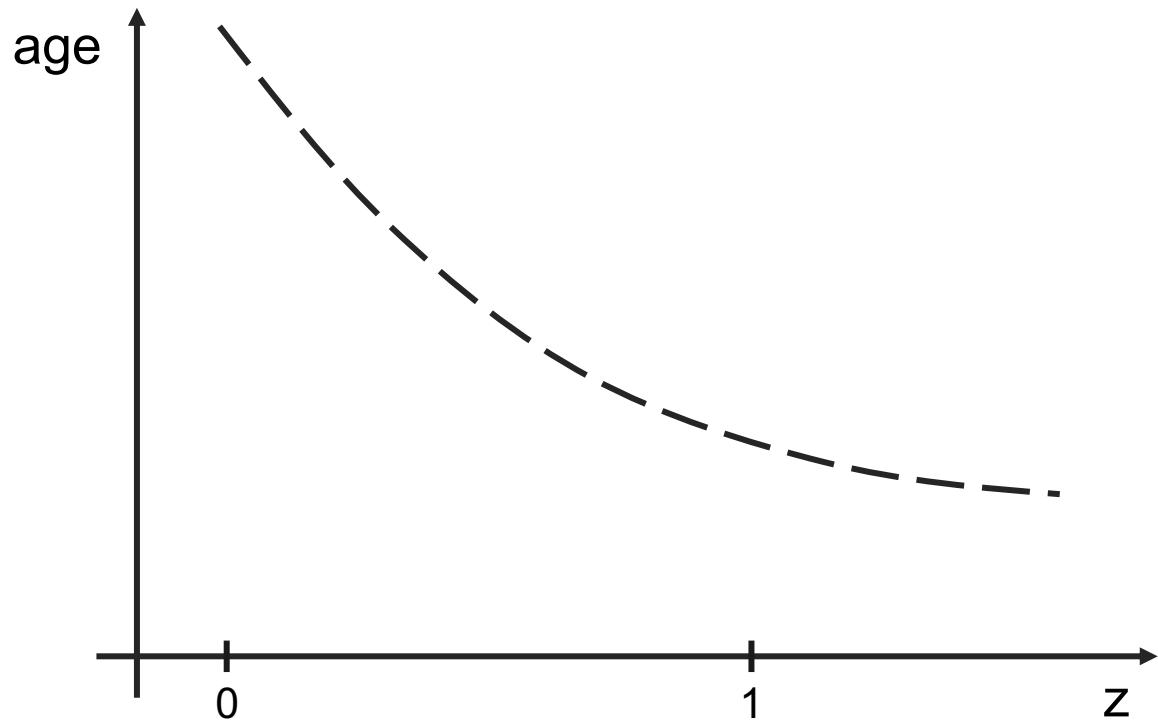


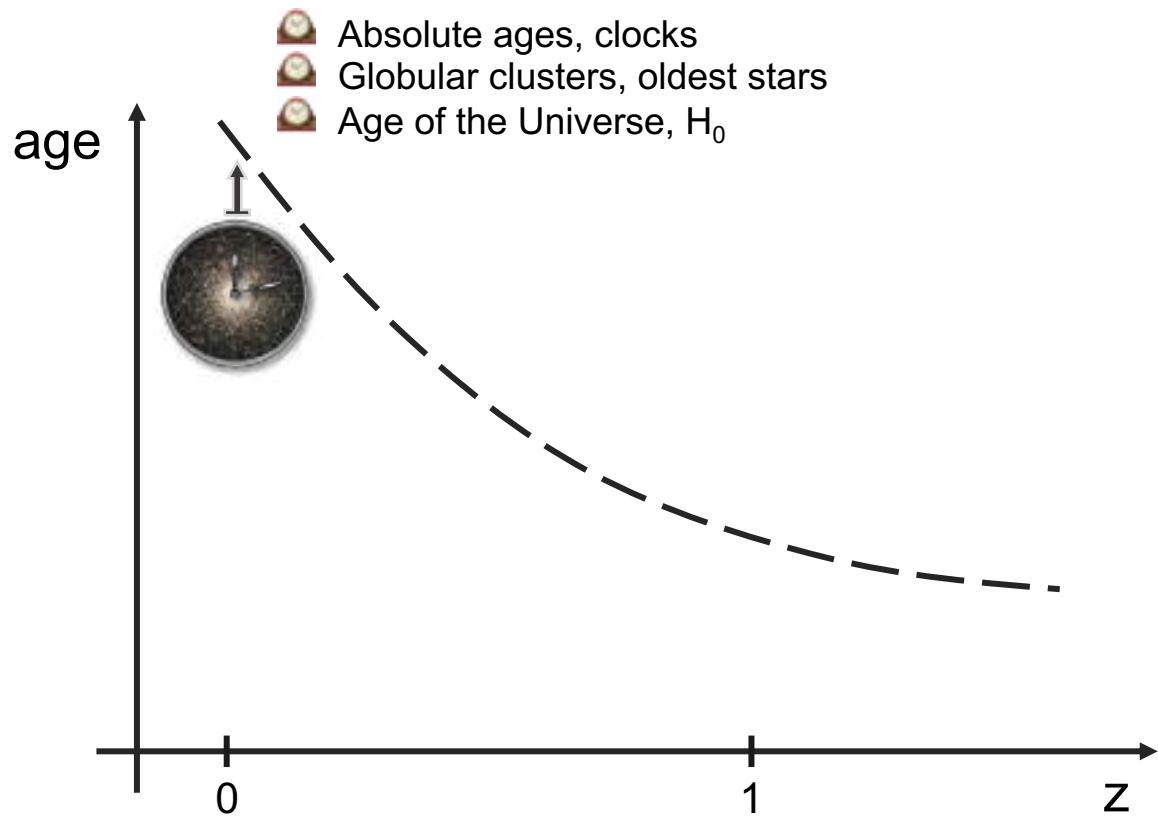
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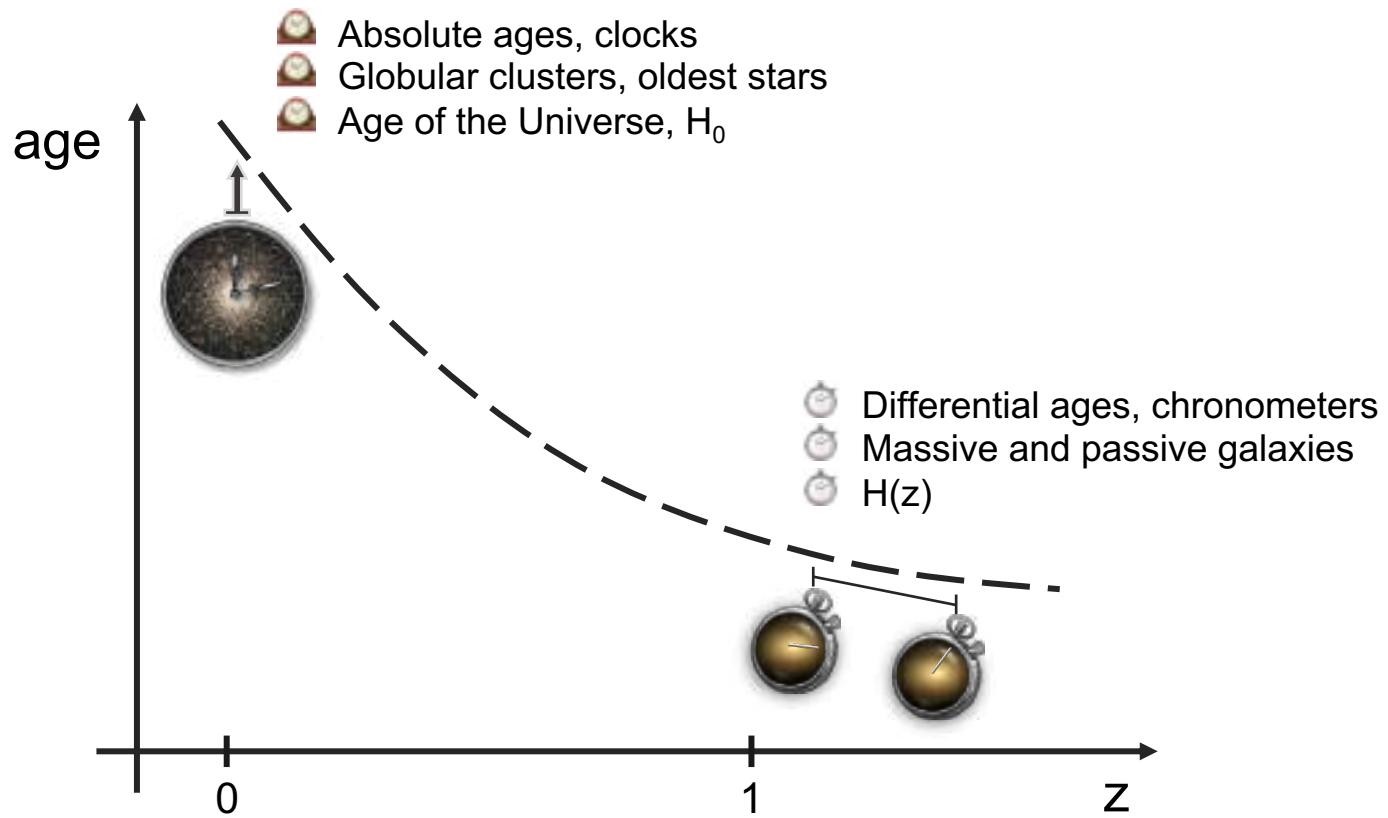
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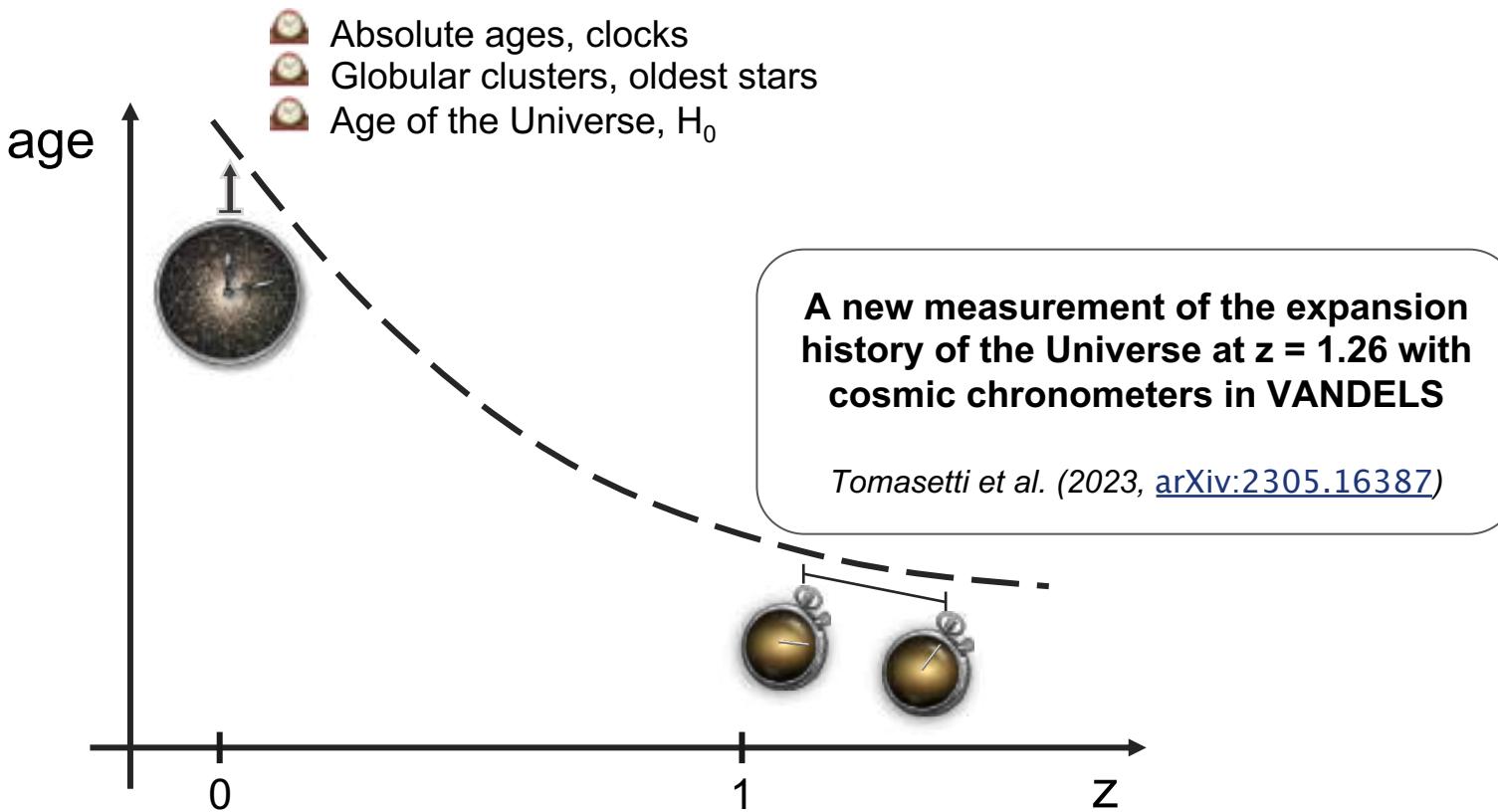
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Aim: obtain new constraints on the expansion history of the Universe using **time** as tracer instead of luminosity (SNIa) or length (BAO).

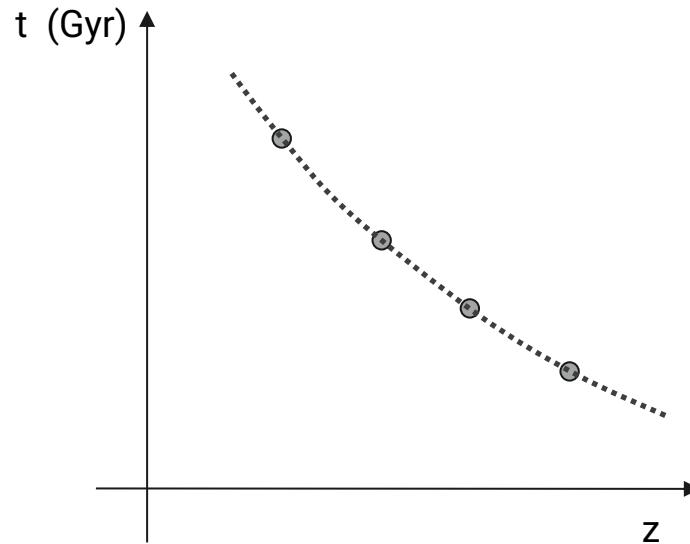








The cosmic chronometers method

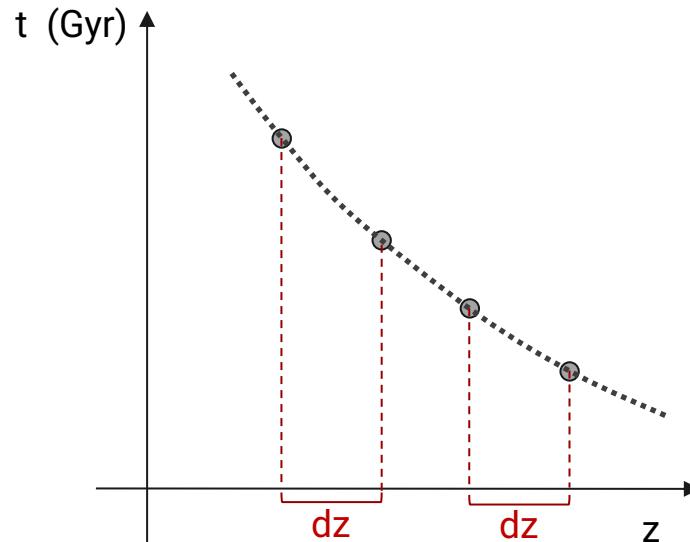


$$H(z) = \frac{\dot{a}}{a} = -\frac{1}{1+z} \frac{dz}{dt}$$

Jimenez & Loeb (2002)

By using cosmic chronometers it's possible to measure $H(z)$ with **no cosmological assumptions**, other than the cosmological principle and the FLRW metric.

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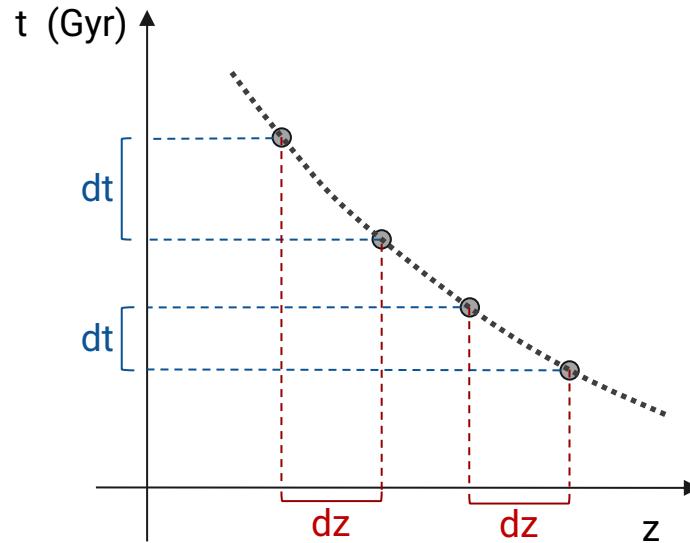
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can be traced with "chronometers"

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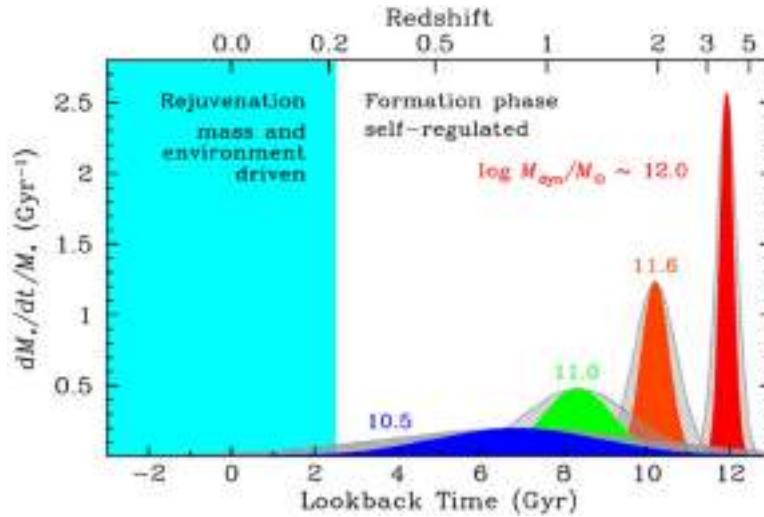
What are cosmic chronometers?

The cosmic chronometers method

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What are cosmic chronometers?

- best tracers are massive and passively evolving galaxies, which started “ticking” very soon and in-sync



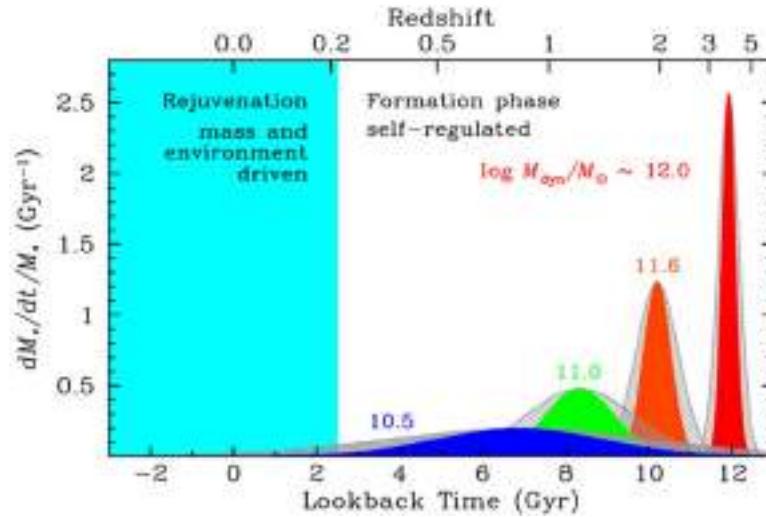
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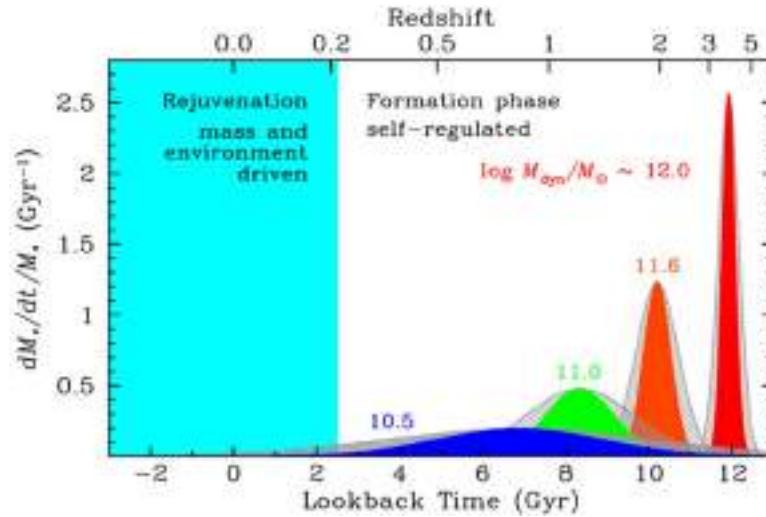
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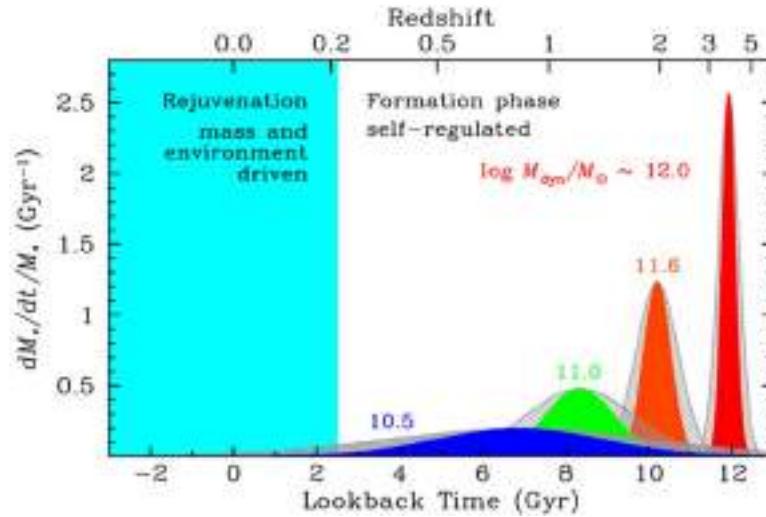
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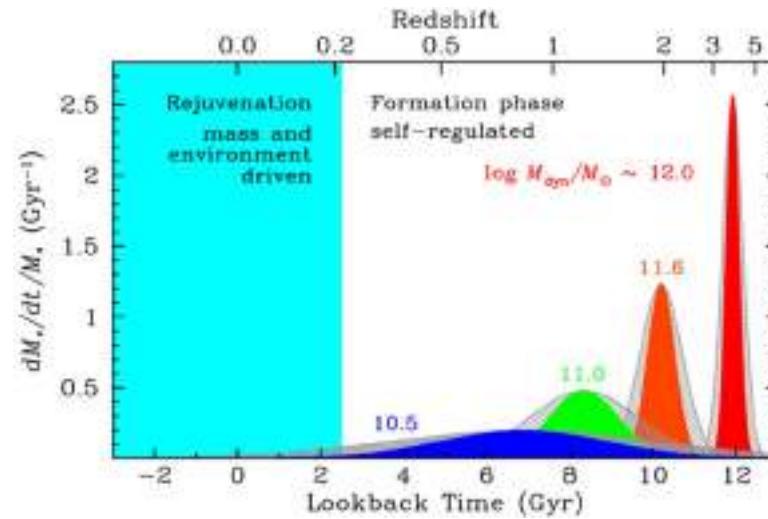
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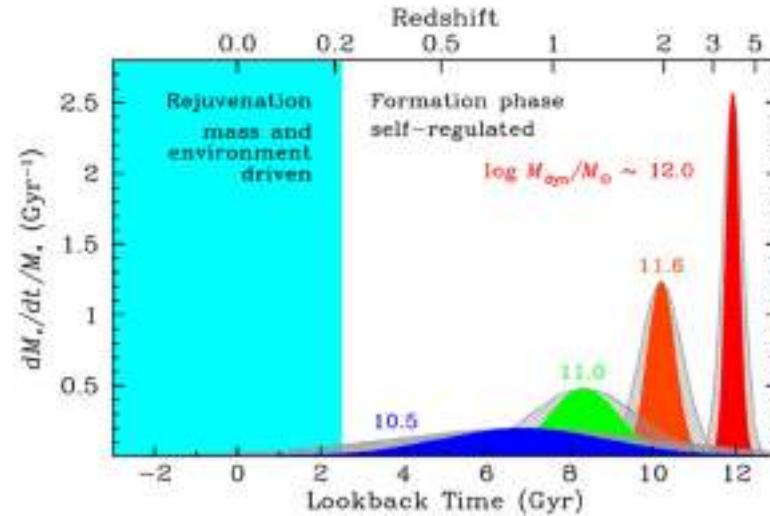
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 - SED-fitting
 - spectral features
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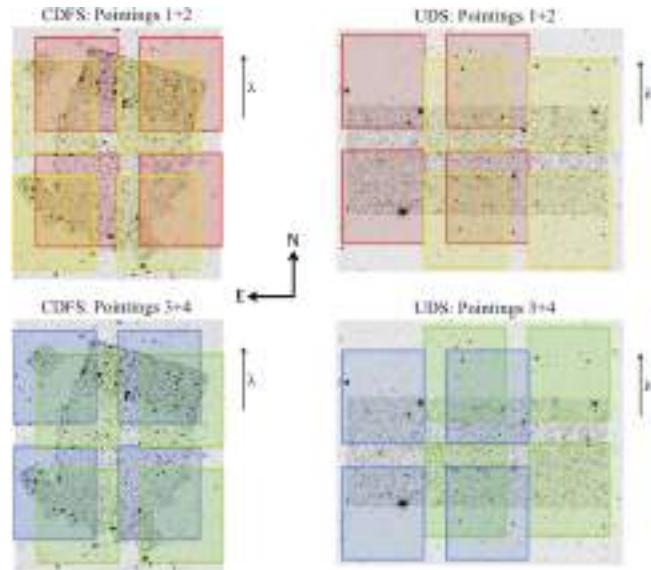
Main steps:

1. selection of a reliable sample of CC
2. robust measurements of differential ages accounting for systematics
3. computation of $H(z)$ and its error

The VANDELS survey – data release 4

VANDELS is a deep optical spectroscopic survey in the CANDELS UDS and CDFS fields covering an area of 0.2 deg^2

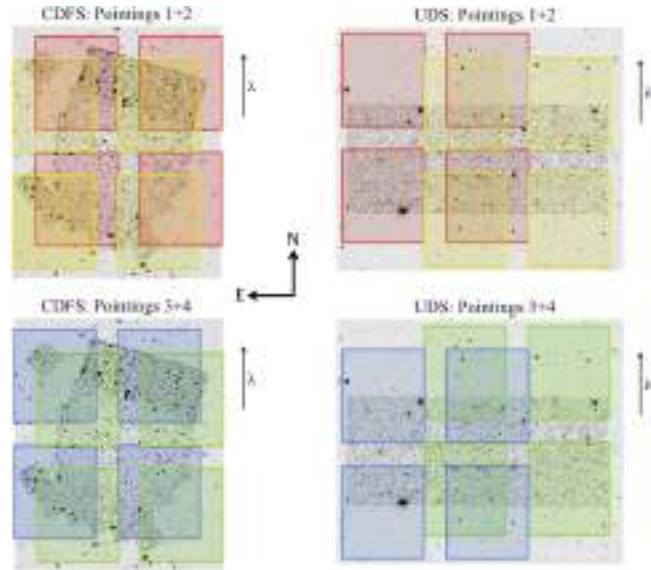
INSTRUMENT	VIMOS spectrograph on VLT (480 – 1000 nm)
TARGET	different pop. of high-z galaxies
SPECTRAL RESOLUTION	$R \sim 580$
SIGNAL-TO-NOISE	$S/N \sim 10$
ANCILLARY DATA	photometry from near-UV to mid-IR



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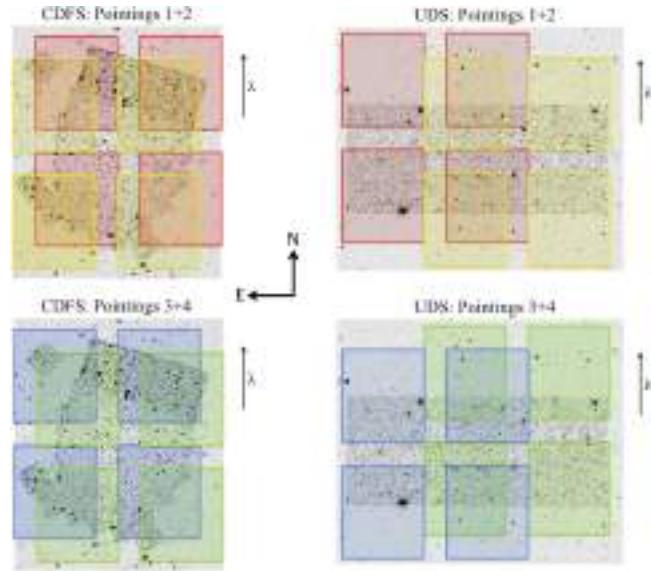


FIELD	SFG	PASSIVE	LBG	AGN	SECONDARY	TOT
CDFS	201	123	604	47	44	1019
UDS	216	155	655	10	32	1068
TOT	417	278	1259	57	76	2087

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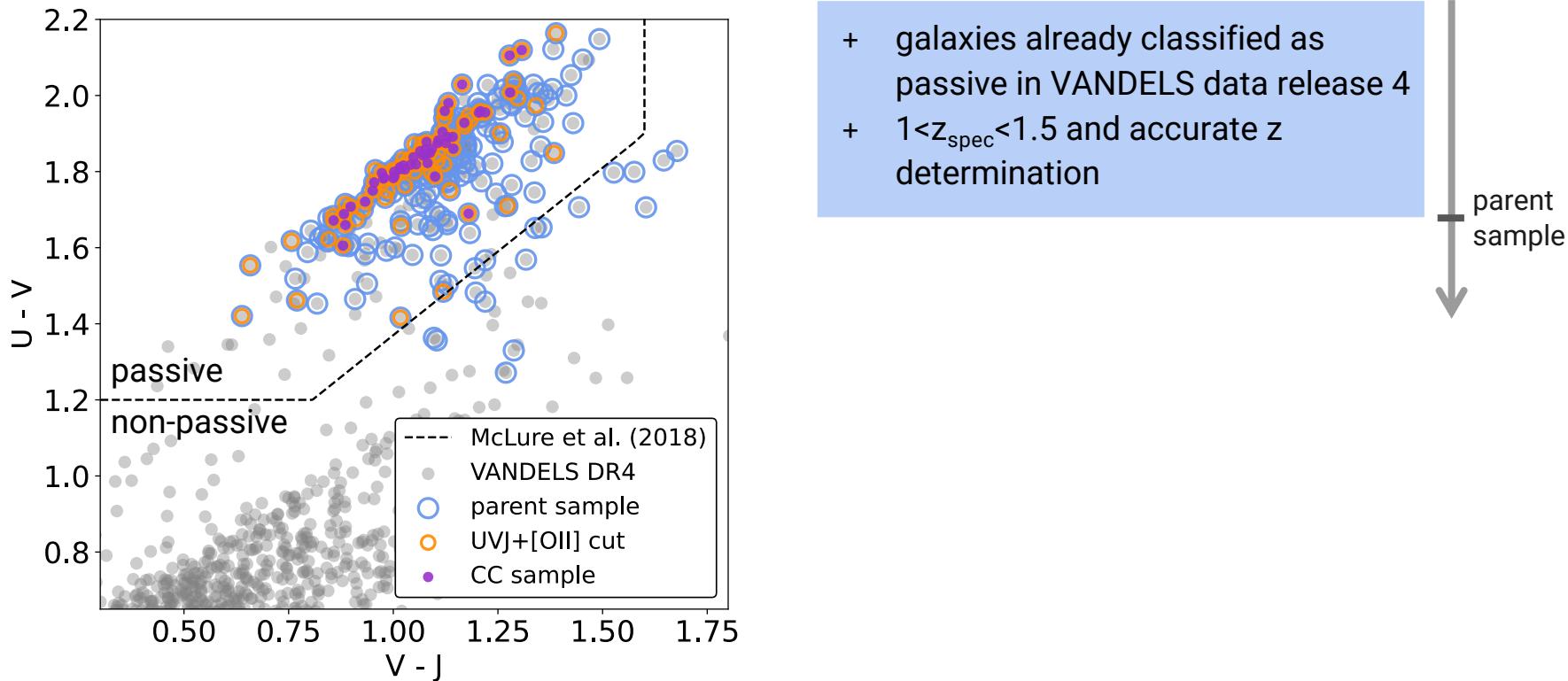
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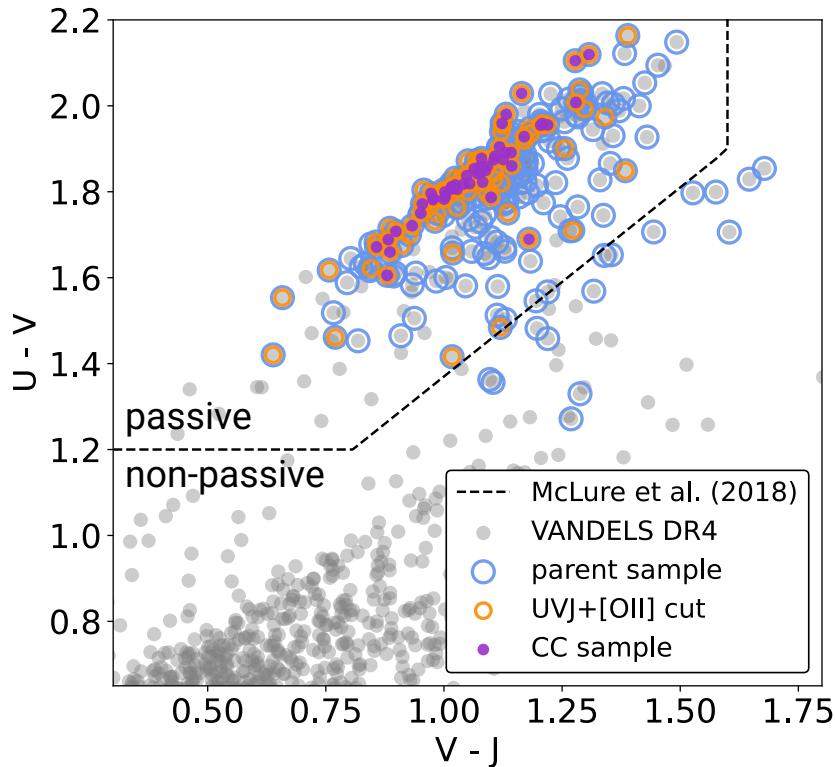


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Selecting an optimal sample of cosmic chronometers in VANDELS



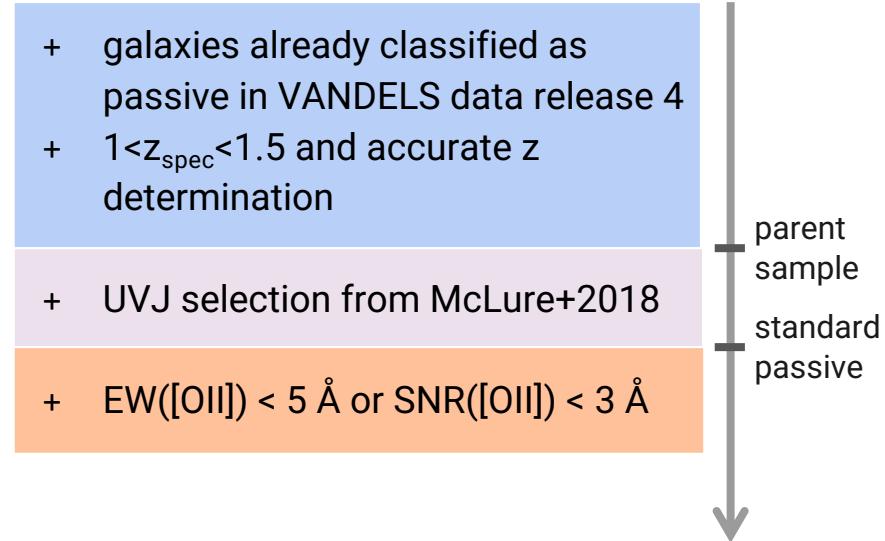
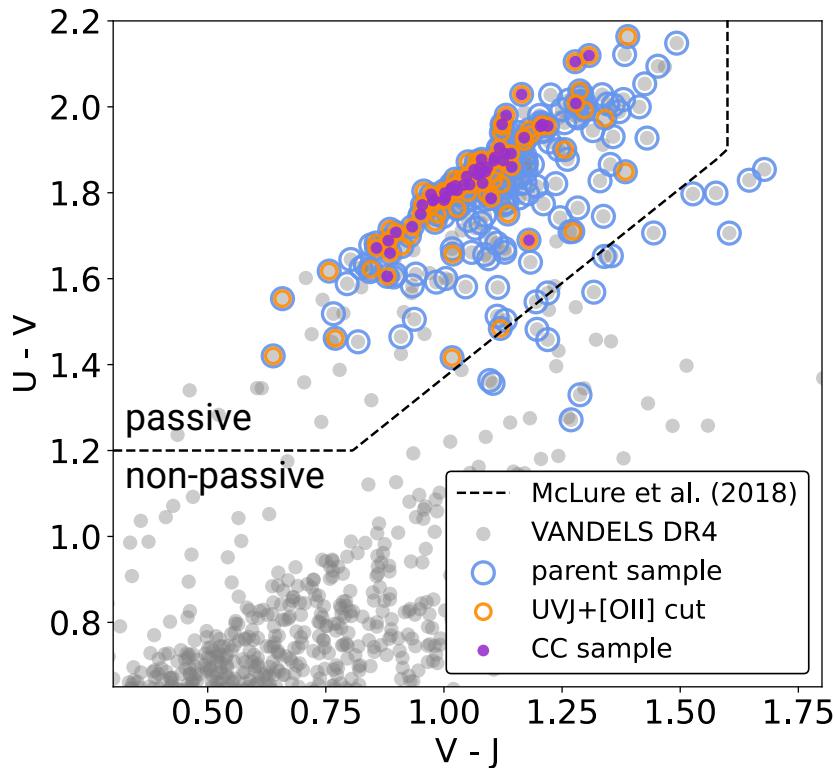
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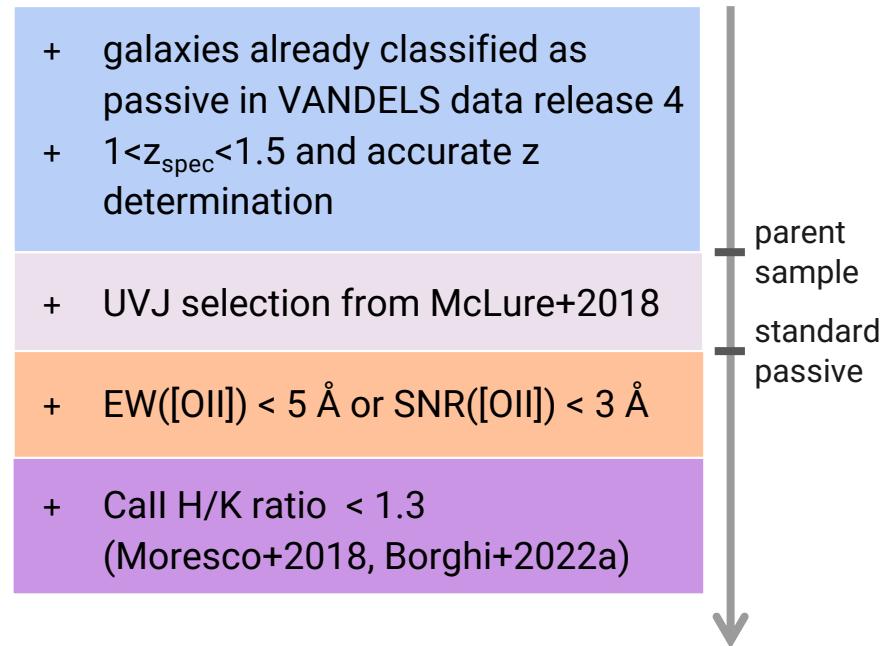
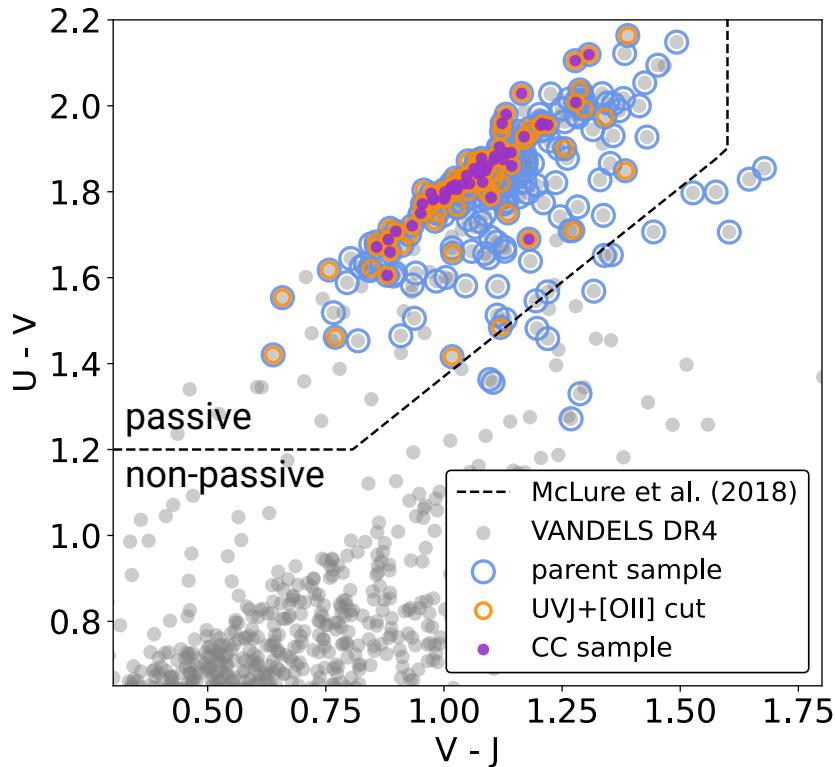
- + galaxies already classified as passive in VANDELS data release 4
- + $1 < z_{\text{spec}} < 1.5$ and accurate z determination
- + UVJ selection from McLure+2018

parent sample
standard passive

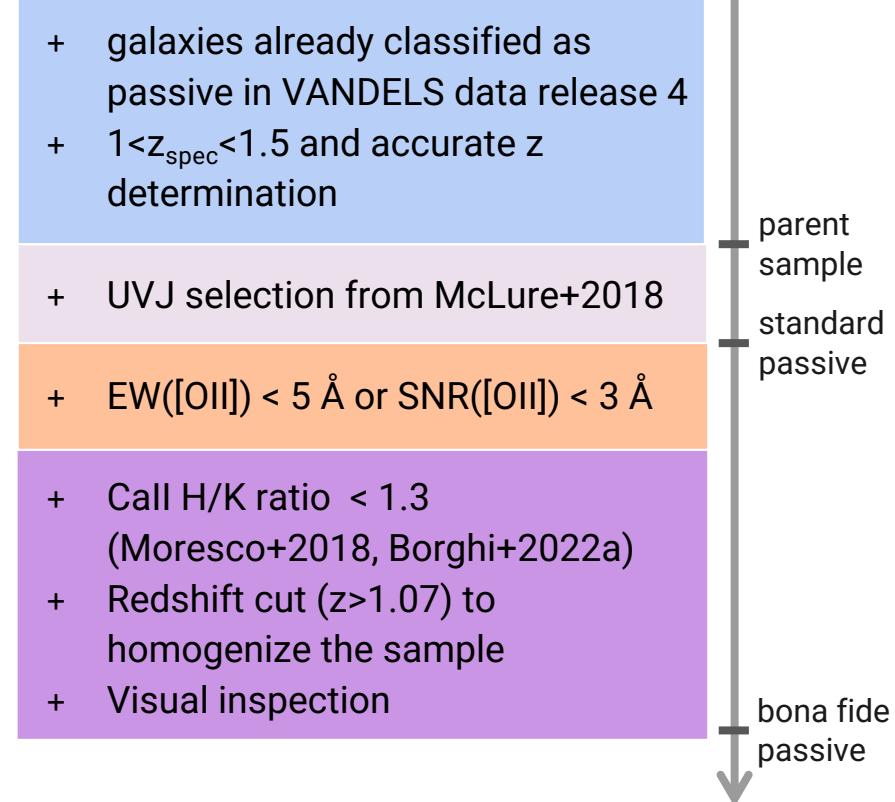
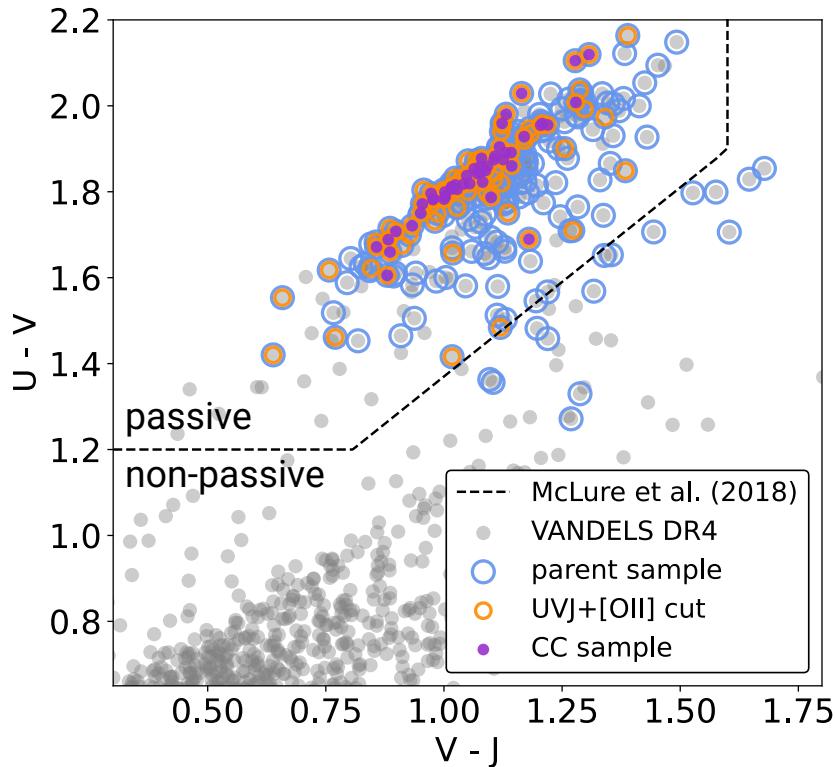
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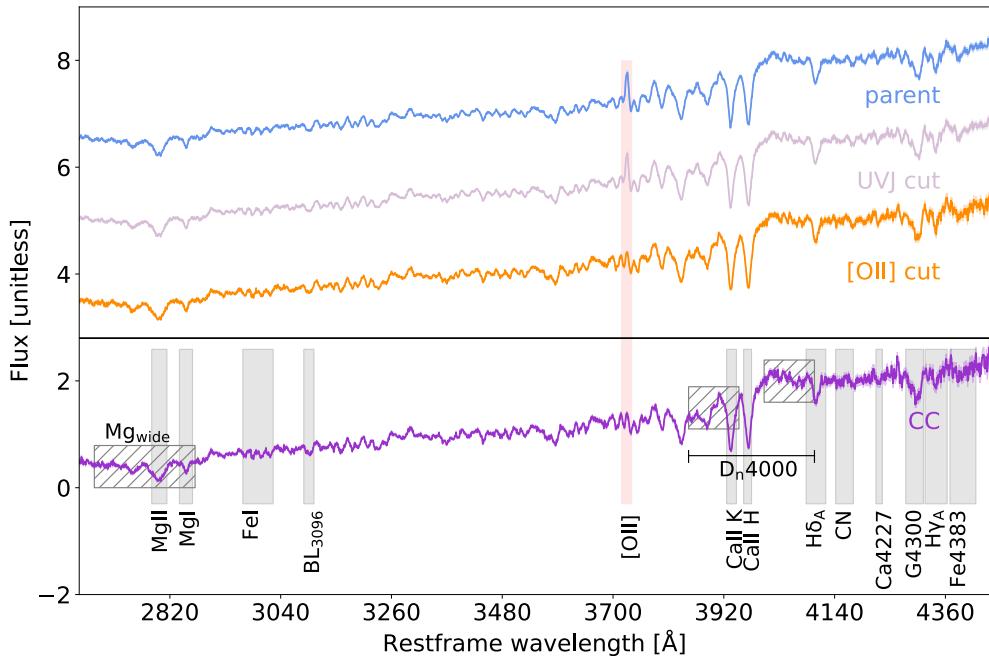
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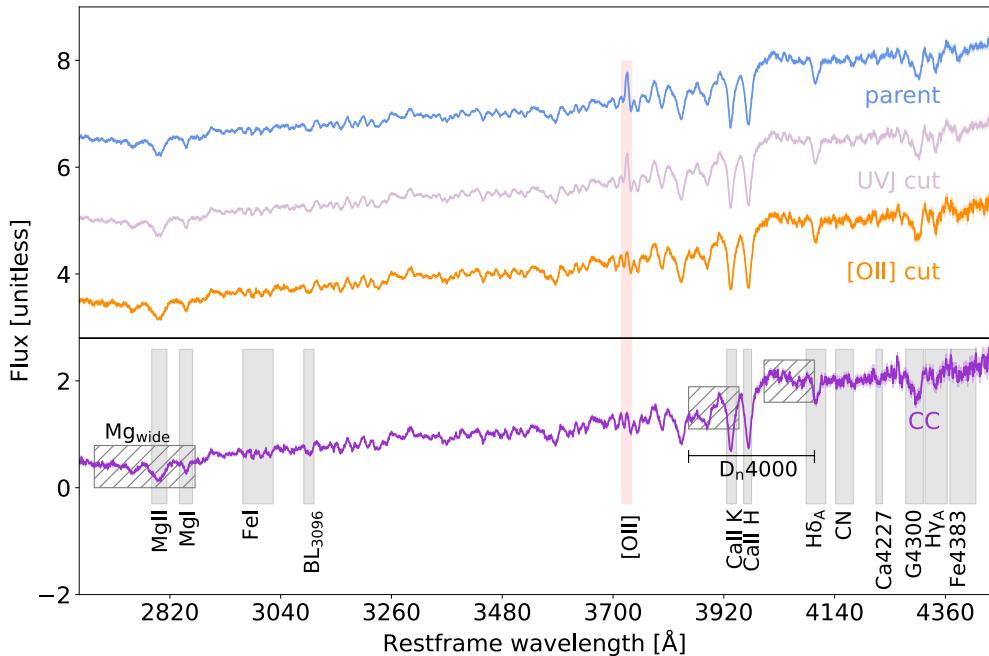
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- + Redshift cut ($z > 1.07$) to homogenize the sample
- + Visual inspection

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49 cosmic chronometers

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Reconstructing physical properties with full-spectral-fitting

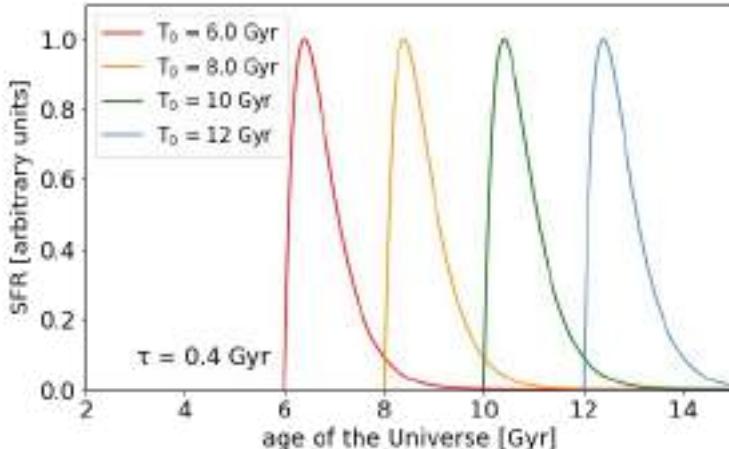
Adopting a Bayesian full-spectral-fitting method (BAGPIPES, Carnall et al. 2018) we are able to fit **spectra and/or photometry** with a multi-component model and different SFHs. The main are:

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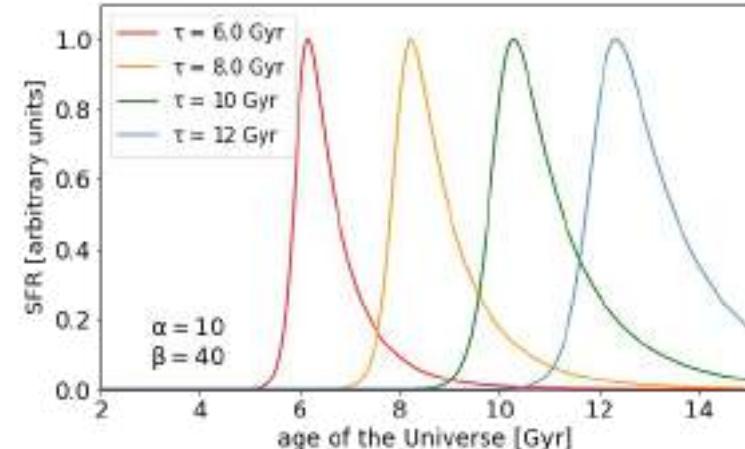
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$$\text{SFR}(t) \propto \begin{cases} (t - T_0)e^{-\frac{t-T_0}{\tau}}, & t > T_0 \\ 0, & t \leq T_0 \end{cases}$$



DOUBLE-POWER-LAW (DPL)

$$\text{SFR}(t) \propto \left[\left(\frac{t}{\tau} \right)^\alpha + \left(\frac{t}{\tau} \right)^{-\beta} \right]^{-1}$$



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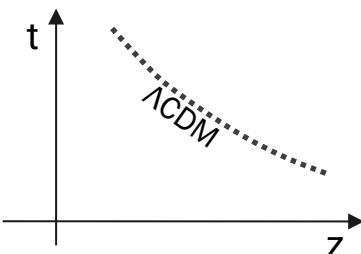
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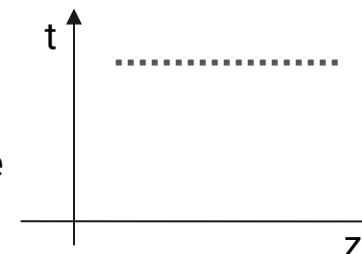
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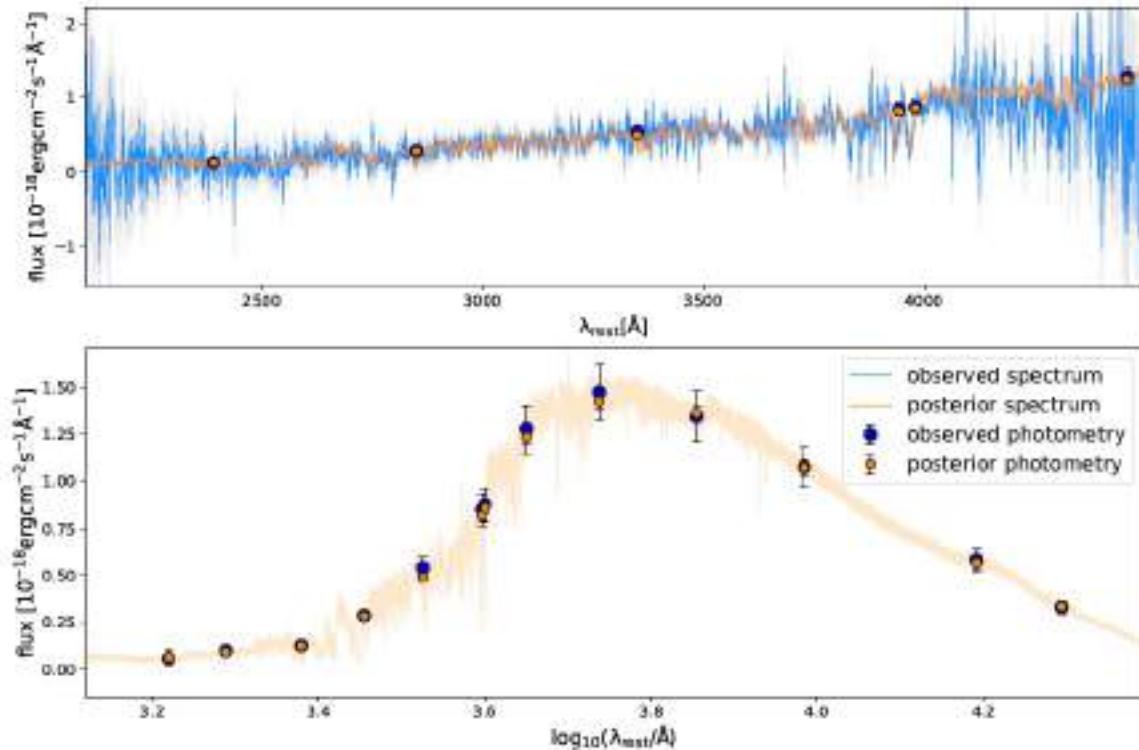
Flat prior on galaxy ages, so that they can vary in the range **0 - 20 Gyr**



Modification on the code tested and validated on the LEGA-C survey (Jiao et al., 2022)

Fit configuration

Baseline configuration	
<i>data</i>	spectra+photometry
<i>SFH</i>	delayed
<i>age</i>	0 – 20 [Gyr]
τ	0 – 1 [Gyr]
Z/Z_{\odot}	0.14 – 1.75
$A_{V,dust}$	0 – 4 [mag]

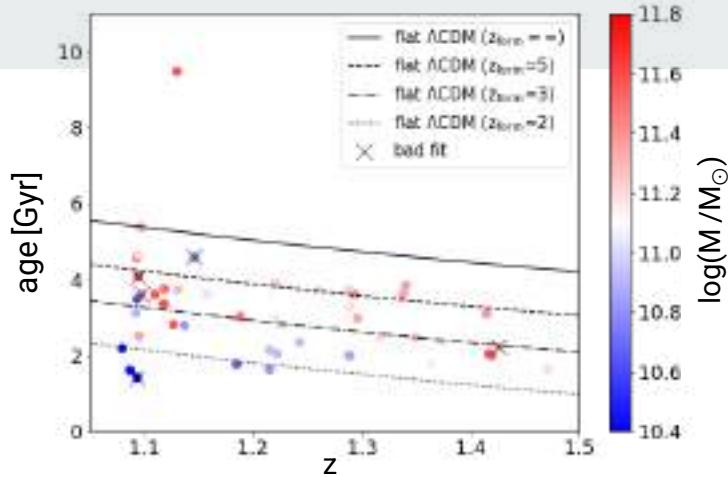


Results are visually checked to flag whether the fit is not properly converging (double peaked posterior, high χ^2 etc.)

Physical parameters of CC in VANDELS

For 44 galaxies the fit is successful and indicates:

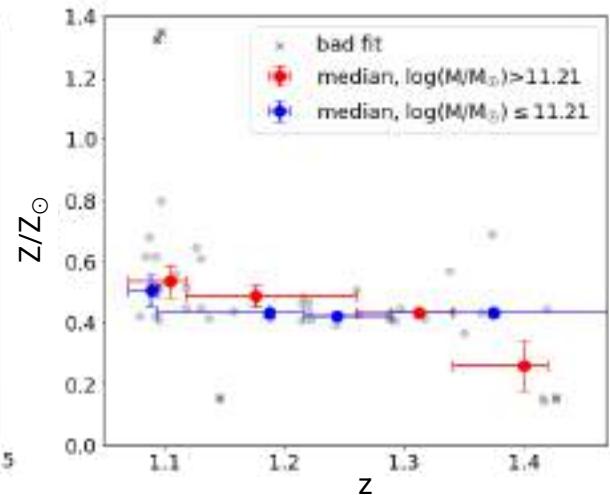
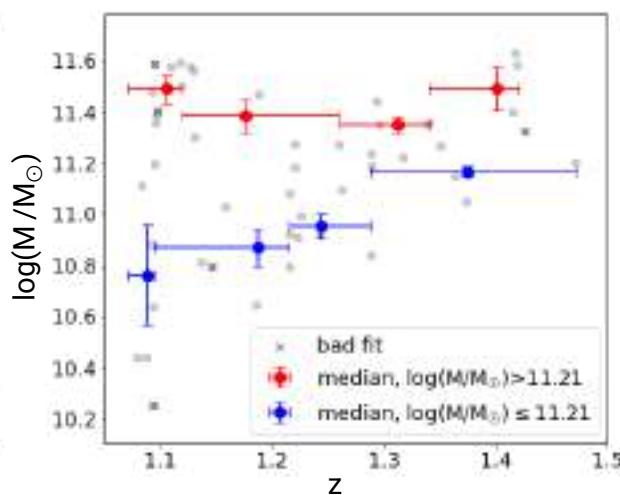
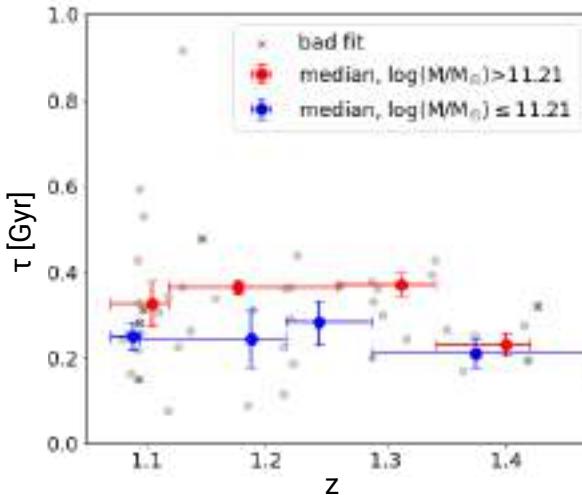
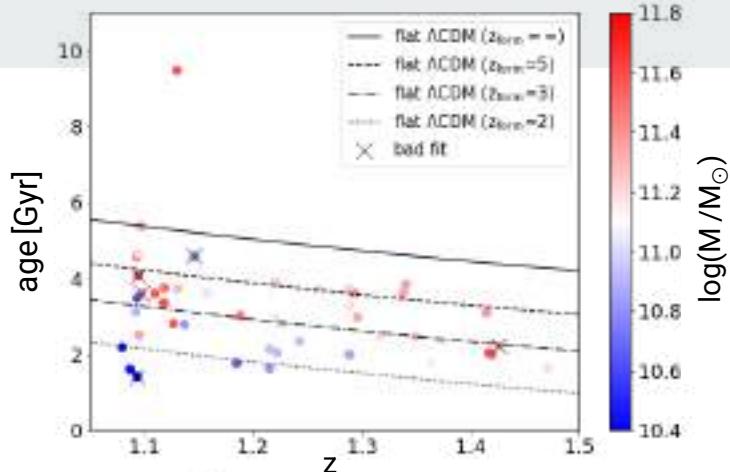
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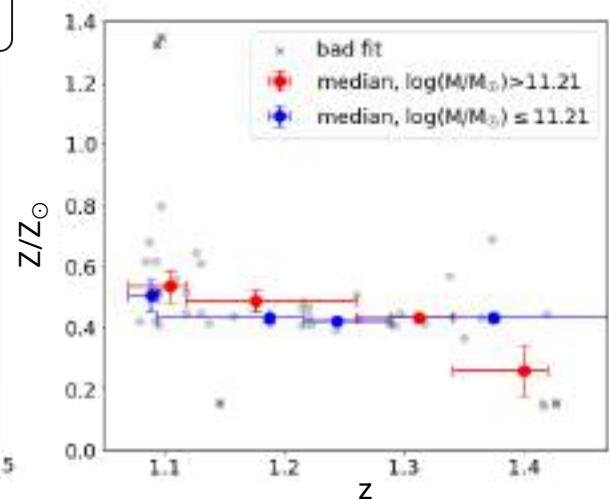
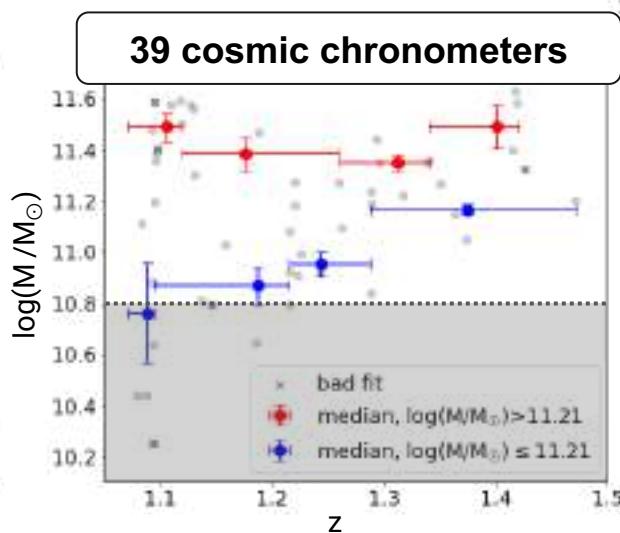
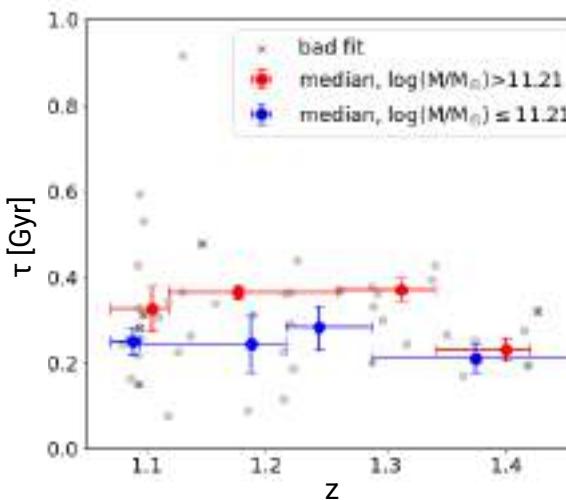
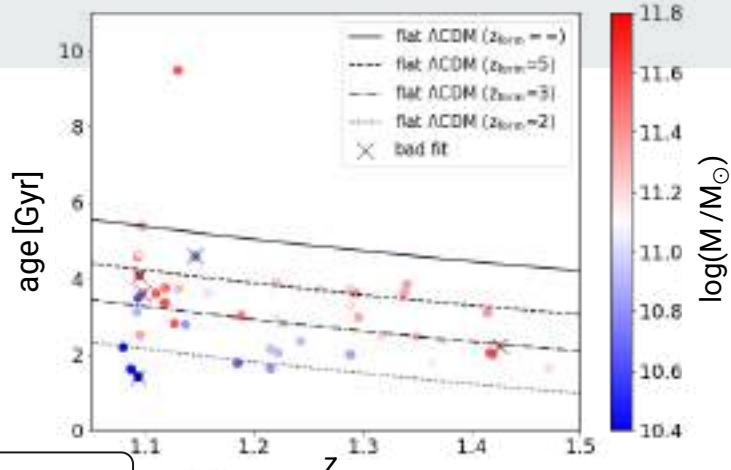
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- short SFH $\langle \tau \rangle = 0.28 \pm 0.02$ Gyr
- massive galaxies $\langle \log(M/M_\odot) \rangle = 11.21 \pm 0.05$
- homogeneous population $\langle Z/Z_\odot \rangle = 0.44 \pm 0.01$



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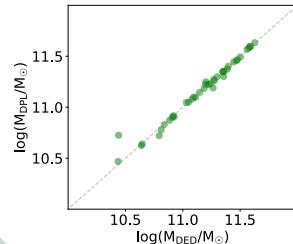
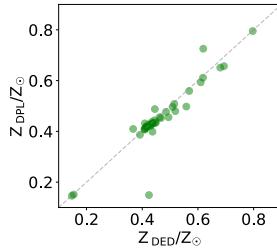
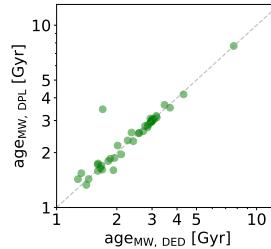
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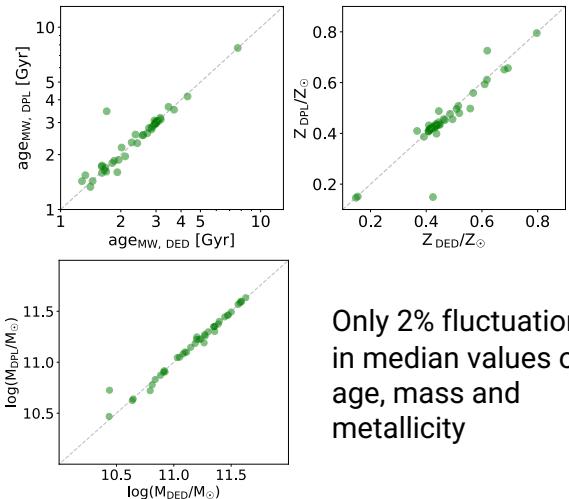
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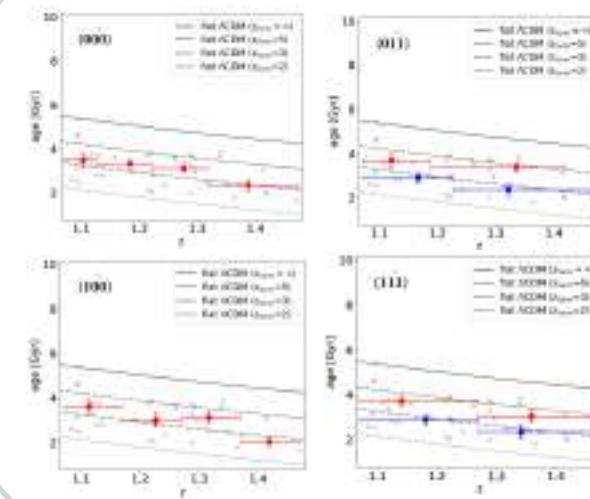
Only 2% fluctuation
in median values of
age, mass and
metallicity

Are our results robust?

Changing the SFH

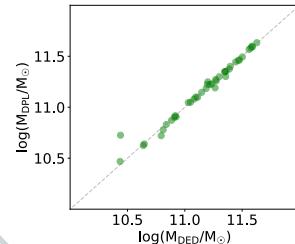
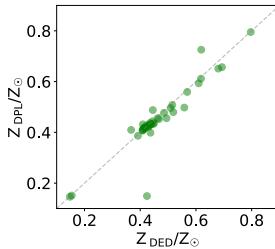
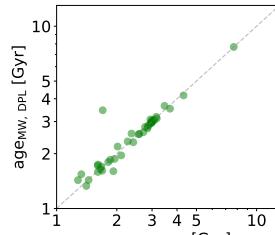


Changing the binning



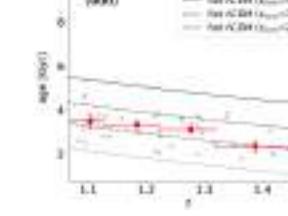
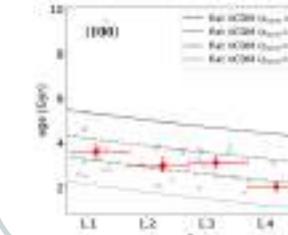
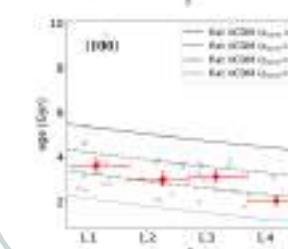
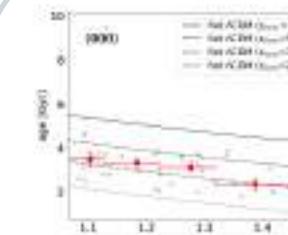
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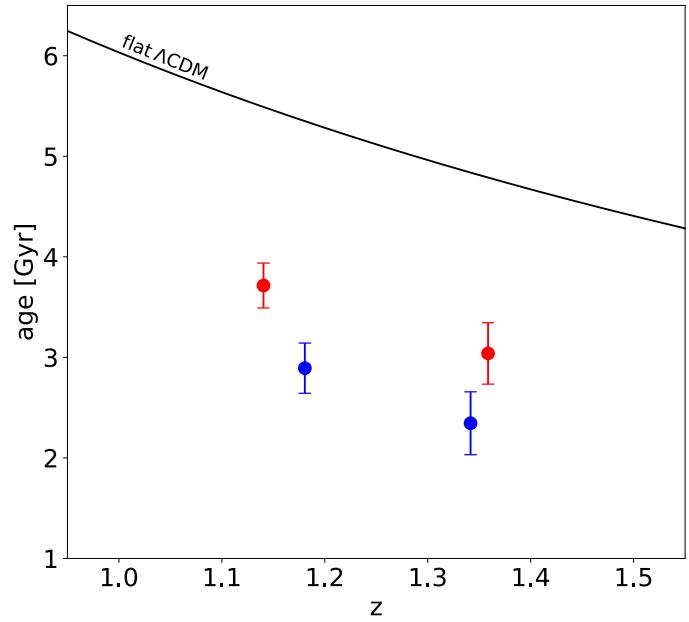
Only 2% fluctuation
in median values of
age, mass and
metallicity

Changing the binning



Systematic error
budget on $H(z)$

Cosmological analysis



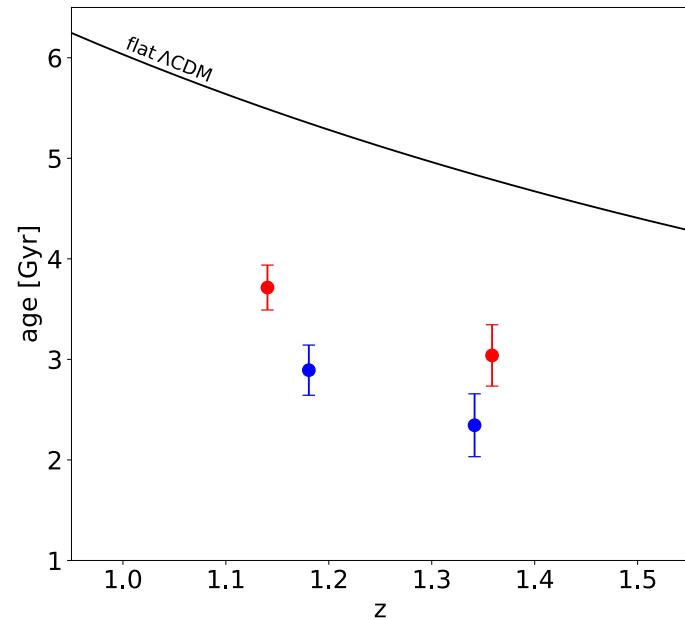
Cosmological analysis: fitting the age-redshift relation

We fit the median age-z with a $f\Lambda CDM$:

$$t(z) = \int_0^z \frac{dz'}{H_0 \sqrt{1 - \Omega_{m,0}(1 + z')^3(1 + z')}} - t_0$$

which has 3 free parameters: H_0 , $\Omega_{m,0}$, t_0 .

Assumed gaussian prior on $\Omega_{m,0} = 0.3 \pm 0.02$ independent of CMB (Jimenez et al. 2019)



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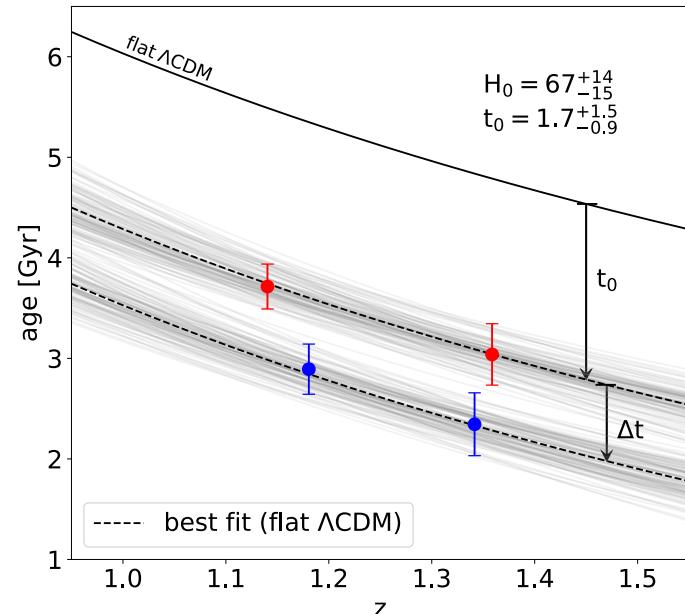
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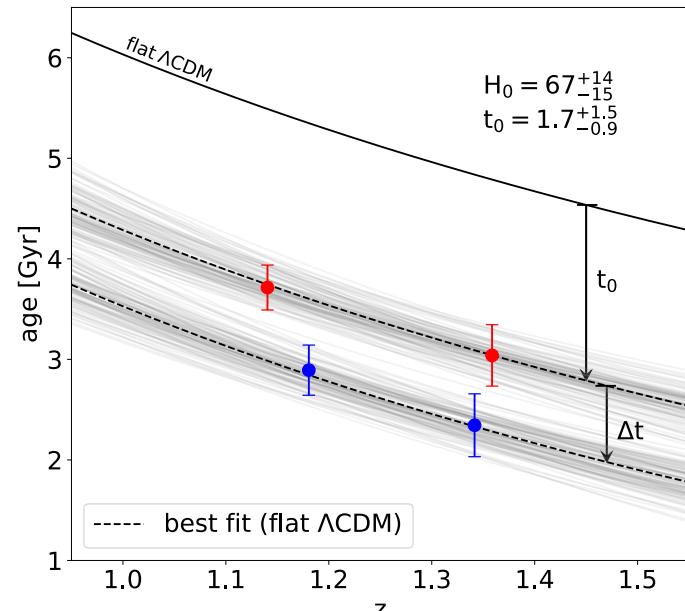
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Current errors are dominated by the low number of galaxies

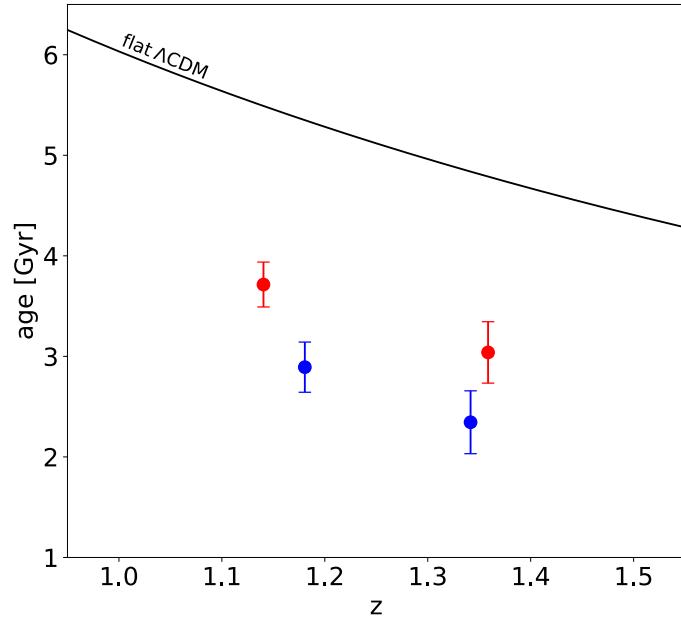


higher precision requires more statistics!

Cosmological analysis: the cosmic chronometers approach

With the cosmic chronometers method no cosmological model is assumed and $H(z)$ is computed as:

$$H(z) = -\frac{1}{1+z} \frac{dz}{dt}$$

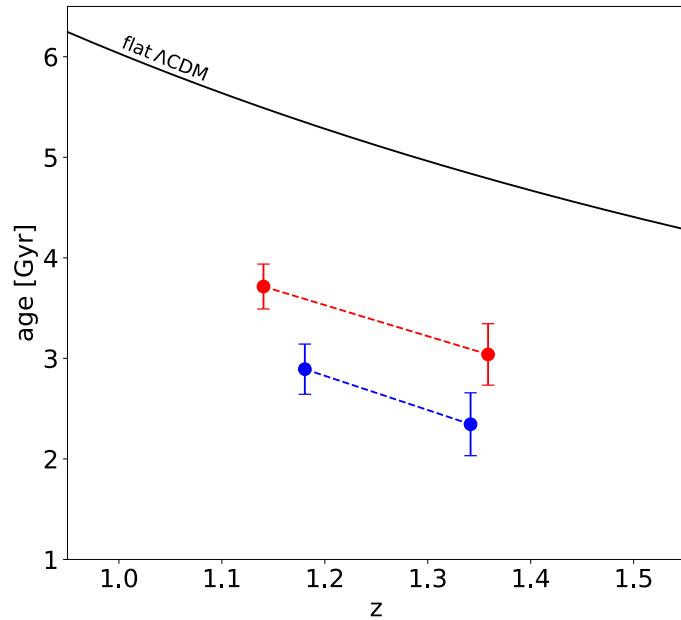


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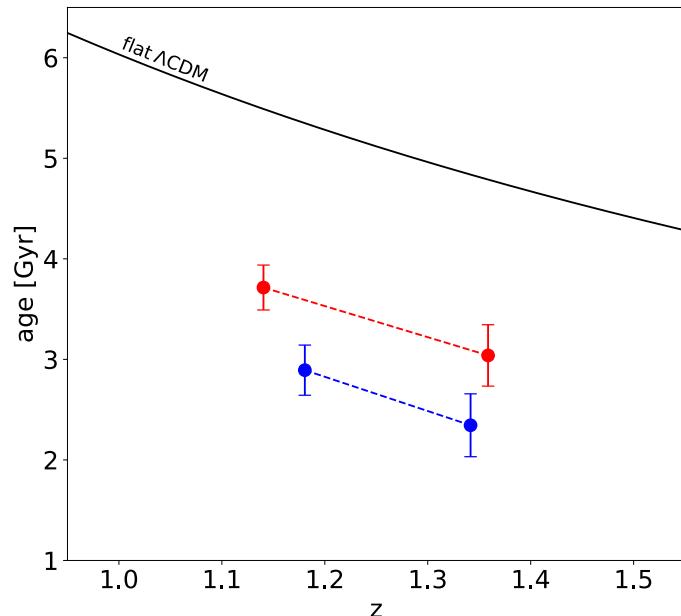
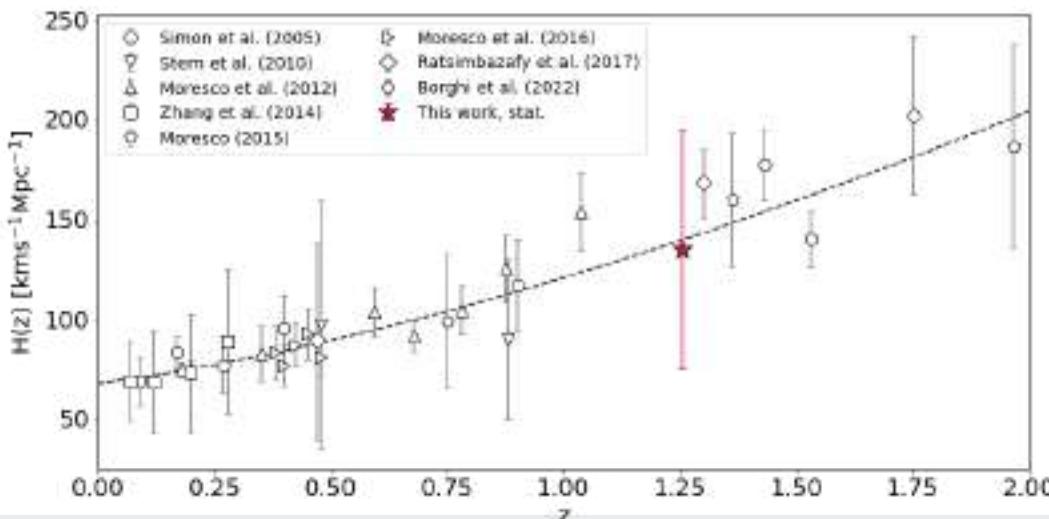


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At redshift $z \simeq 1.26$ we obtain:

$$H = 135 \pm 60 \text{ (stat)} \quad \text{km s}^{-1} \text{Mpc}^{-1}$$

Assessing the systematics

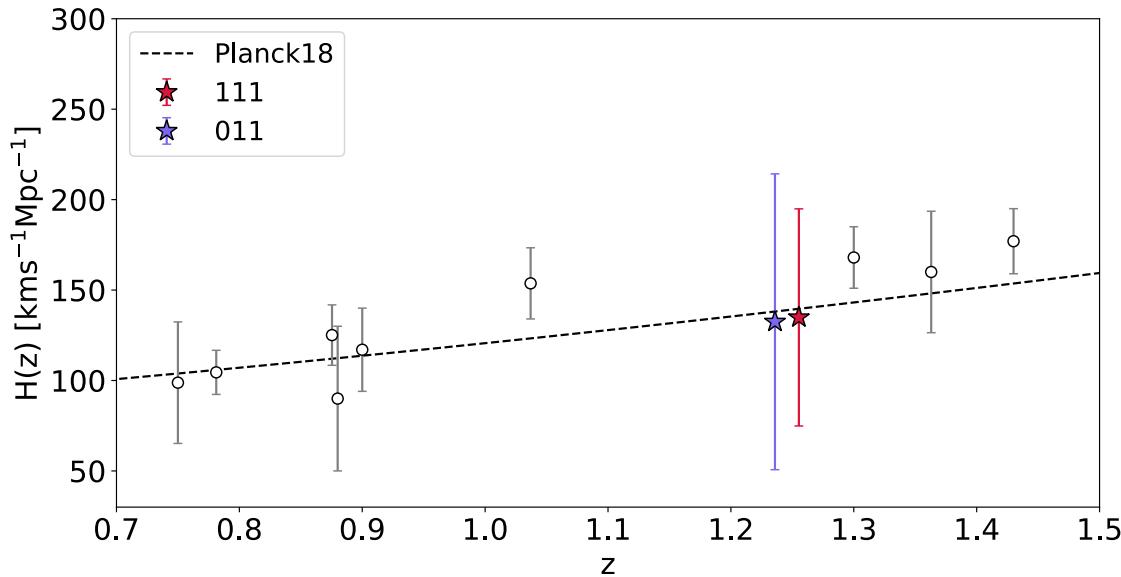
Two main sources of systematic effects are considered:

- binning – variation of $H(z)$ **between (111) and (011)**
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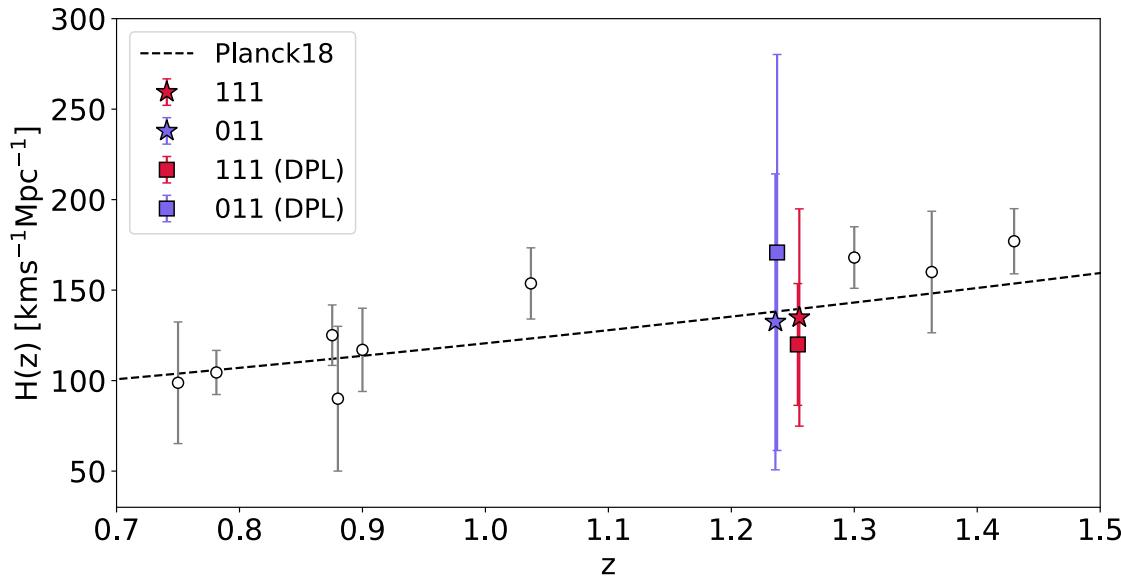
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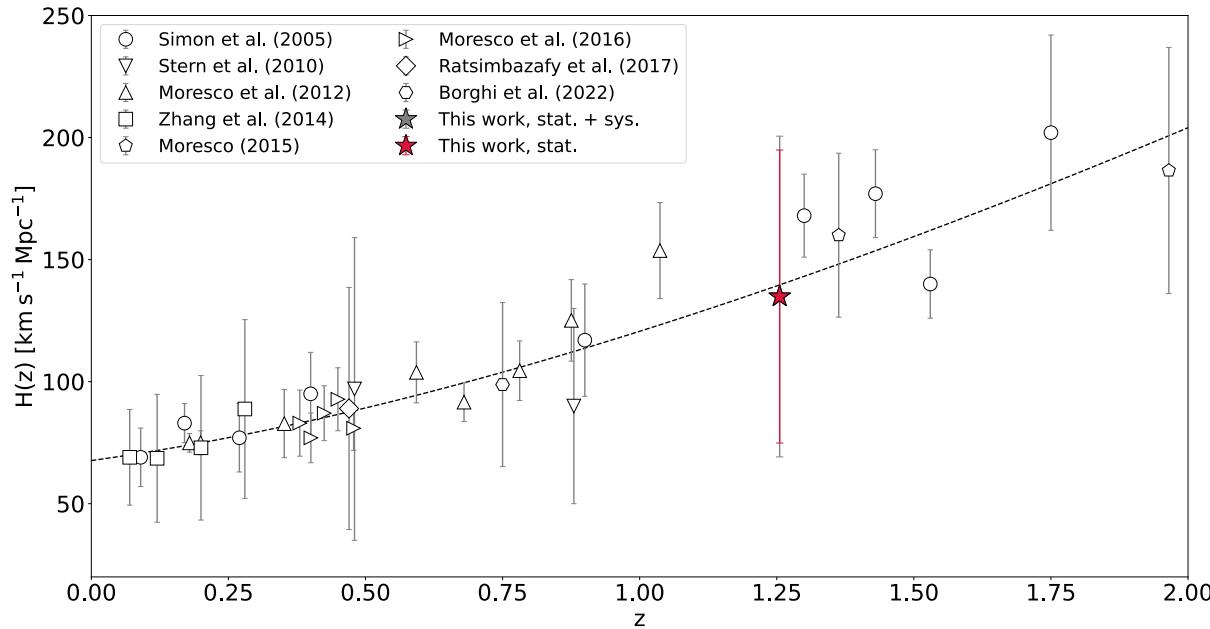
$$\Delta H_{\text{bin}} = 2.4 \quad \text{km s}^{-1} \text{Mpc}^{-1}$$

$$\Delta H_{\text{SFH}} = 27 \quad \text{km s}^{-1} \text{Mpc}^{-1}$$

Final result

Finally, with a sample of **39 cosmic chronometers** we obtain:

$$H(z \simeq 1.26) = 135 \pm 65 \text{ (stat + sys)} \quad \text{km s}^{-1} \text{Mpc}^{-1}$$



Conclusions

- ✓ Without assuming any cosmological model we obtain:
 - 95% of ages lower than age of the Universe in $f\Lambda\text{CDM}$, **consistent with theoretical ageing**
 - evidence of **mass-downsizing**
 - **homogeneous** population in redshift
- ✓ Fitting the median age-redshift relation we obtain:

$$H_0 = 67_{-15}^{+14} \text{ km s}^{-1}\text{Mpc}^{-1}$$

- ✓ With cosmic chronometers we are able to obtain a **new measurement** of the Hubble parameter:
 $H(z \simeq 1.26) = 135 \pm 65 \text{ km s}^{-1}\text{Mpc}^{-1}$
exploiting for the first time the full-spectral-fitting CC method at $z > 1$

What's next?

Constraining the age of the Universe and the **Hubble constant** with the oldest objects in the local Universe

Constraining the Hubble constant with the oldest objects

Cimatti & Moresco (2023) [arXiv:2302.07899](https://arxiv.org/abs/2302.07899)

Tomasetti et al. (in prep)

$$H_0 = \frac{A}{t} \int_0^{z_f} \frac{1}{1+z} [\Omega_M(1+z)^3 + (1-\Omega_M)]^{1/2} dz$$

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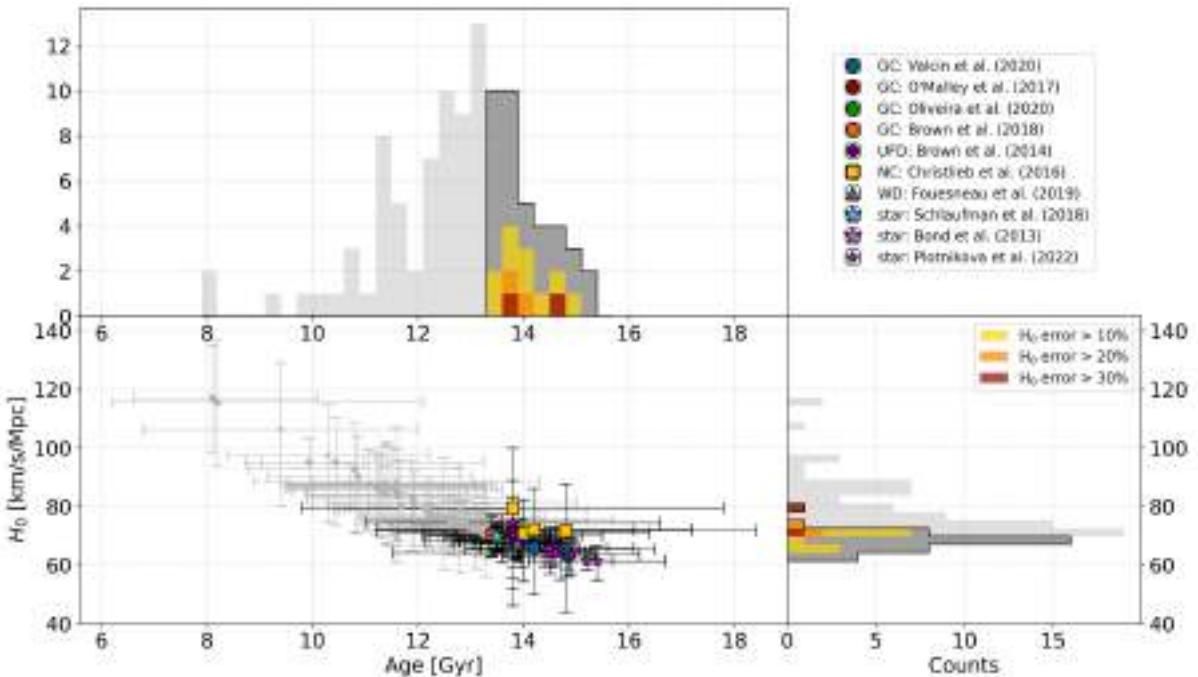
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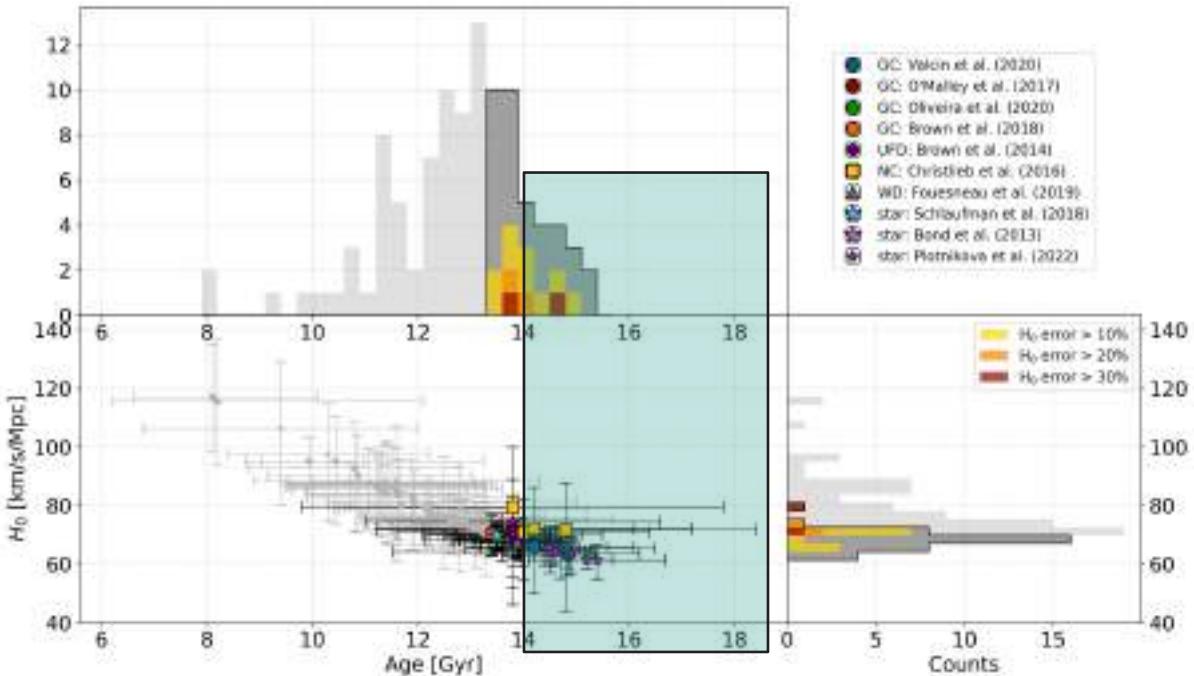


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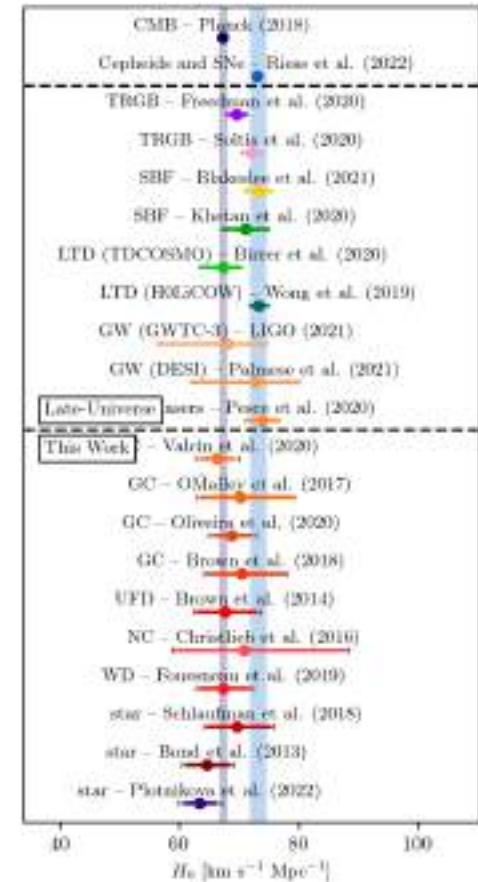
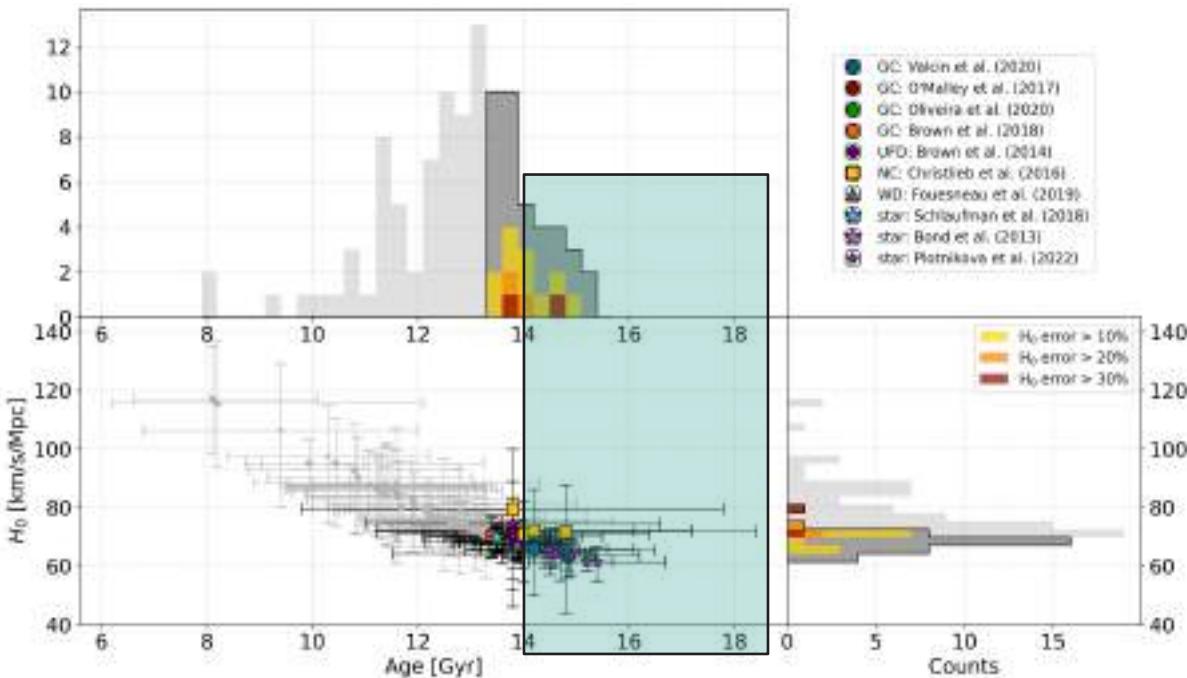


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Thank you!